1.	. (19 points) <b>Honor Statement:</b> Please read and sign the following statement:	
	I promise that my answers to this test are based on my own work without reference to any notes, books, or the assistance of any other person during the test. I will also not use a calculator or other electronic aid for calculation during this test.	
	Name and Surname:  Student ID:  Signature:	
2.	(24 points total) About the normative definition of rationality.	
(a) (9 points) Write down the three axioms of preferences that make up this definition and define each axiom. Let $A \succeq B$ mean "the consumption bundle $A$ is at least as good as the consumption bundle $B$ ."		

- 3. (21 points) About the income effect.
  - (a) (7 points) Given the Duality identity:  $h_x\left(p_x,p_y,u\right)=X\left(p_x,p_y,I\left(p_x,p_y,u\right)\right)$  and the Envelope theorem which implies  $\partial I/\partial p_x=X$  derive the Slutsky equation in elasticity form:  $e_x\left(p_x\right)=e_{h_x}\left(p_x\right)-e_x\left(I\right)s_x$ .

- (c) (6 points) Assume that bread is an inferior good with downward sloping demand, the Turkish government wants to increase the total amount of bread Turks consume and make everyone happier. Which of the following three policies would accomplish this? Explain the problem with the other two policies.
  - i. Change in the price of bread (either raising or lowering the price.)
  - ii. Change in Income (either raising or lowering income.)
  - iii. Giving out free bread to every citizen.

- 5. (32 points total) A corner solution is a case where one or more variables is at its constrained amount, in our case this is zero. In this question we are interested in when consumers might be at a corner solution, or consume zero of one or more goods. You may assume throughout that the consumer has normal preferences, i.e. her preferences are rational, continuous, monotonic, and convex.
  - (a) (4 points) What assumption do we usually make about preferences that rules out corner solutions? Explain.

- (c) (23 points total) Consider the utility function  $U(F,C) = 11 \ln F + C$ , the price of food is  $p_f$ , of clothing is  $p_c$ , and the income is I. (In your answers below you can not use the cheating method I described in class.)
  - i. (1 point) What class of utility functions is this from?
  - ii. (2 points) Set up the Lagrangian objective function for this consumer, make the multiplier on the constraint  $\lambda$ .

iii.	(3 points) Find the three first order conditions assuming the consumption of clothing is strictly positive.
iv.	(4 points) Find the bang for the buck for food and clothing assuming the consumption of clothing is strictly positive.
v.	(4 points) Equalize the bang for the bucks and find the demand for food assuming the consumption of clothing is strictly positive.

vi.	(2 points) Find the demand for clothing assuming the consumption of clothing is strictly positive.
vii.	(2 points) If the optimal quantity of clothing is zero, how much food will this consumer buy? (Hint: This question is ridiculously easy.)
viii.	$(5\ points)$ Find a condition under which the optimal consumption of clothing is zero.
	6

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- (c) (23 points total) Consider the utility function  $U(F,C)=8\ln F+4C$ , the price of food is  $p_f$ , of clothing is  $p_c$ , and the income is I. (In your answers below you can not use the cheating method I described in class.)
  - i. (1 point) What class of utility functions is this from?
  - ii. (2 points) Set up the Lagrangian objective function for this consumer, make the multiplier on the constraint  $\lambda$ .

iii.	(3 points) Find the three first order conditions assuming the consumption of clothing is strictly positive.
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	suming the consumption of clothing is strictly positive.
v.	(4 points) Equalize the bang for the bucks and find the demand for food assuming the consumption of clothing is strictly positive.

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viii.	$(5\ points)$ Find a condition under which the optimal consumption of clothing is zero.
	12

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  - (a) (4 points) What assumption do we usually make about preferences that rules out corner solutions? Explain.

- (c) (23 points total) Consider the utility function  $U(F,C) = 9 \ln F + 3C$ , the price of food is  $p_f$ , of clothing is  $p_c$ , and the income is I. (In your answers below you can not use the cheating method I described in class.)
  - i. (1 point) What class of utility functions is this from?
  - ii. (2 points) Set up the Lagrangian objective function for this consumer, make the multiplier on the constraint  $\lambda$ .

iii.	(3 points) Find the three first order conditions assuming the consumption of clothing is strictly positive.
iv.	(4 points) Find the bang for the buck for food and clothing assuming the consumption of clothing is strictly positive.
v.	(4 points) Equalize the bang for the bucks and find the demand for food assuming the consumption of clothing is strictly positive.

	2 points) Find the demand for clothing assuming the con- umption of clothing is strictly positive.
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	18

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  - (a) (4 points) What assumption do we usually make about preferences that rules out corner solutions? Explain.

- (c) (23 points total) Consider the utility function  $U(F,C)=10\ln F+2C$ , the price of food is  $p_f$ , of clothing is  $p_c$ , and the income is I. (In your answers below you can not use the cheating method I described in class.)
  - i. (1 point) What class of utility functions is this from?
  - ii. (2 points) Set up the Lagrangian objective function for this consumer, make the multiplier on the constraint  $\lambda$ .

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